MODEL (1)

<u>Part (1)</u>

- 1) For a particle moving along a straight line. Determine:
 - a) (v t) and (a t) relations for a given x(t)
 - b) (v t) and (x t) relations for a given a(t)
 - c) (v x) and (x t) relations for a given a(x)
 - d) (v x), (v t) and (x t) relations for a given a(v).
- 2) Give a solved numerical example for each of the four previous cases.

Part (2)

- 1) Define the Conservative forces (Give example).
- 2) Suggest a practical model that can be simulated using the principles conservation of energy
- 3) The ball of mass **M** of negligible size is fired up the vertical circular track using the spring plunger. The plunger keeps the spring compressed a distance δ when $\mathbf{x} = \mathbf{0}$. Determine how far x it must be pulled back and released so that the ball will begin to leave the track when $\theta = \theta_1$



MODEL (2)

<u>Part (1)</u>

- 1) Derive the basic equations for the velocity and acceleration of a particle that moves along a curved path using
 - a) Rectangular components
 - b) Tangential and normal components
 - c) Radial and transverse components.
- 2) Give a solved numerical example for each type of the previous components.

<u>Part (2)</u>

- 1) Explain the principle of conservation of energy.
- 2) Suggest a practical model that can be simulated using the Second law of Newton's
- 3) The safe S has weight Ws and is supported by the rope and pulley arrangement shown. If the end of the rope is given to a boy B of weight W_b, determine his acceleration if in the confusion he doesn't let go of the rope. Neglect the mass of the pulleys and rope.



MODEL (3)

<u>Part (1)</u>

- 1) Derive the basic equations that govern the motion of a projectile in two dimensions, when the air resistance is neglected.
- 2) Give suitable numerical solved example, for the following cases.
 - a) A projectile is projected in a horizontal direction from a given altitude to hit a target on the ground.
 - b) How to determine the firing angle of a projectile fired with a known initial velocity to hit a target with known location.
 - c) The range of a projectile projected on an inclined plane.

<u>Part (1)</u>

- 1) Suggest a practical model that can be simulated using the Second law of Newton's
- 2) Determine the constant speed of the passengers on the amusement-park ride if it is observed that the supporting cables are directed at angle θ from the vertical. Each chair including its passenger has a mass **mc**. Also, what are the components of force in the *n*, *t*, and *b* directions which the chair exerts on a passenger of mass **m**_p during the motion?



MODEL (4)

<u>Part (1)</u>

1) Write short notes about:

- a) Newton's second law.
- b) The equations of motion in different types of components.
- c) The types of Forces acting on a body in any mechanical system.
- d) The system of units used with the law.
- 2) Explain in details the phenomenon of dry friction between two rubbing surfaces.
- 3) Give a solved numerical example for the motion of a block along a rough inclined

Part (2)

3) Suggest a practical model that can be simulated as a projectile

A package is dropped from the plane which is flying with a constant horizontal velocity v_A . Determine the normal and tangential components of acceleration and the radius of curvature of the path of motion (a) at the moment the package is released at A, where it has a horizontal velocity v_A , and (b) just before it strikes the ground at **B**.



MODEL (5)

<u>Part (1)</u>

- 1) Define the work of force acting on a body.
- 2) Derive the expression for:
 - a) The work of a constant force in rectilinear motion.
 - b) The work of the force of gravity.
 - c) The work of the force exerted by a spring.
- 3) Explain how to derive the principle of work and energy from Newton's second law
- 4) Suggest a practical model that can be simulated using the principle of conservation of energy

<u>Part (2)</u>

- 1) Deduce the principle of linear impulse and momentum
- 2) The boy A is moving in a straight line away from the building at a constant speed v_A . At what horizontal distance d must he be from C in order to make the catch if the ball is thrown with a horizontal velocity v_C ? Also determine the relative speed of the ball with respect to the boy A at the instant the catch is made.

